

Duration: 3 Hours

Total Marks :80

Note:

1. Question one is compulsory.
2. Solve any three from remaining and suitable data

Q1. Solve any four 20

- a. Explain in detail Physical nonlinearity which has memory?
- b. Draw sinusoidal response of saturation with dead zone nonlinearity and write the response equation.
- c. Differentiate linear and nonlinear system in detail
- d. Explain Lyapunov theorem in details
- e. Derive classical control "c" from the IMC controller "q"

Q2. a Explain in detail Jump response with example 10

Q2. b Formulate the describing function for relay with dead zone. 10

Q3.a For the system described by, investigate variant gradient method to find Lyapunov's function For non linear system. 10

$$\dot{x}_1 = -2x_2$$

$$\dot{x}_2 = -2x_2 + 2x_1x_2^2$$

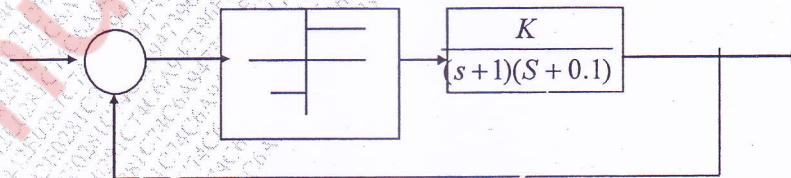
Q3.b Design the optimal controller via Riccati equation for the system 10

$$\dot{x} = \begin{bmatrix} 0 & 1 \\ 2 & -1 \end{bmatrix} x + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$$

to minimize the performance index

$$J = \int_0^{\infty} (x_1^2 + x_2^2 + u^2) dt$$

Q4.a Investigate Stability using Describing function of following system which has unity relay signal as a nonlinearity. 10





## BE (INSTRU) SEM VII CBS 4S

03/12/18

Q4.b. Determine stability using Krasovskii method

10

$$\dot{X}_1 = -X_1;$$

$$\dot{X}_2 = X_1 - 2X_2 - X_2^3$$

Q5.a. Explain in details IMC based PID controller Design/tuning.

10

Q5.b. Using different equilibrium point comment of singular point and draw trajectories

10

$$\dot{x}_1 = -x_1^3 + x_2$$

$$\dot{x}_2 = x_1 - x_2^3$$

Q6a. Give definition of 1,2, and  $\infty$  norm

04

Q6b. Compute 2-norm of following,

06

$$A = \begin{bmatrix} 0.8 & 0 \\ 0 & 1.7 \end{bmatrix} \quad B = \begin{bmatrix} 1 & 0 \\ 0 & 5 \end{bmatrix}$$

Q6c

10

Draw Phase trajectory using delta method for given system and comment of stability, initial condition is (0,0)

$$x^2 + 5x + 4x = 0$$