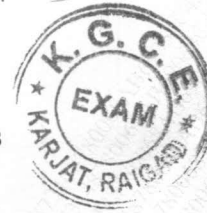


TE/Prod/Choice Based/May-2019/07/06/2019



Time: 3 Hours

Marks: 80

N.B:

1. Question No.1 is compulsory.
2. Illustrate your answer with neat sketches wherever necessary.
3. Missing data may be assumed suitably.
4. Figures to the right indicate full marks.

Q.1 Write a short note on following:

(20)

- a) What is the significance of shape function.
- b) H-method & P-Method in FEA.
- c) Explain sources of error in FEA.
- d) What is a consistent and lumped mass matrix.
- e) Meshing & Compatibility of Elements.

Q.2

- a) Given Differential equation

(10)

$$3\frac{d^2u}{dx^2} + u + x = 0; 0 < x < 1 \text{ With boundary conditions } u(0)=1= u(1)=2.$$

Find solution at $x = 0.5$ by using Galerkin Method.

- b) Find the natural frequency of axial vibration of a bar of uniform cross section of 20 mm^2 and of length 1 m . Take $E = 2 \times 10^5 \text{ N/mm}^2$. and $\rho = 8000 \text{ kg/m}^3$. Take two linear element. (10)

Q.3

- a) Derive the shape function for a rectangular element in local coordinate system. (10)

- b) Solve the following: (10)

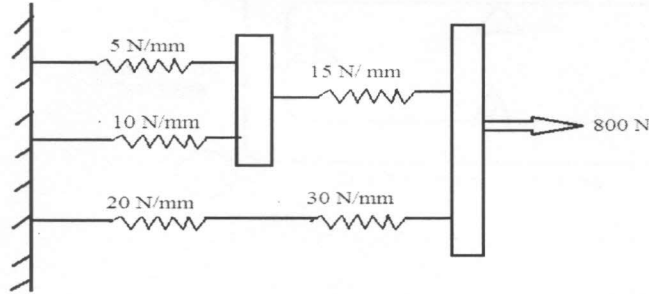
$$3Y'' - 8Y' + 3x^2 = 0; 0 \leq x \leq 1$$

 $Y(0)=0 \quad Y(1)=2$ Find $y(0.5)$ & $y(0.7)$ using Least square method.

Q.4

a) Figure show cluster of springs. One end of the assembly is fixed and force is applied at the end. Using the finite element method, determine:

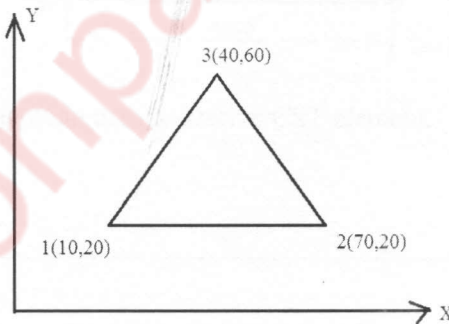
- i) The deflection of each spring. ii) The reaction forces at supports. (12)



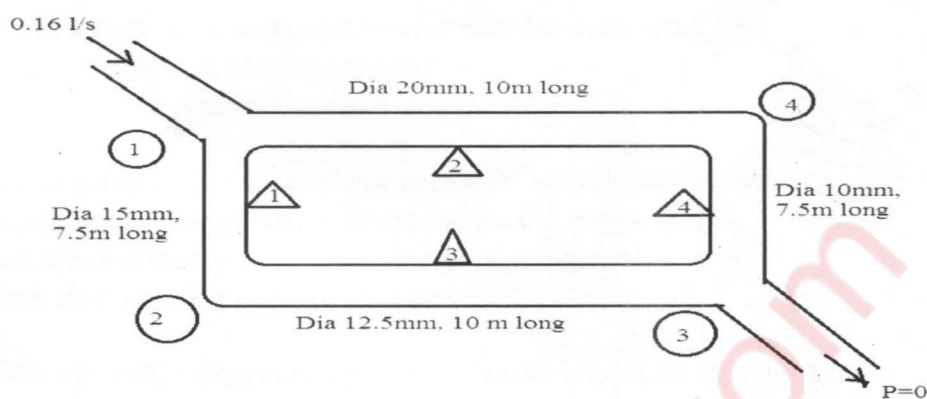
- b) Obtain the strain nodal displacement relationship for one dimensional linear element. (8)

Q.5

a) Evaluate the stiffness matrix for the CST element shown below. Coordinate are given below in mm. Assume plane stress condition. Thickness=10mm, $E= 200\text{GPa}$ and $\nu = 0.3$. (10)

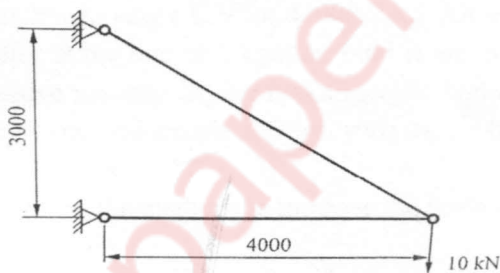


- b) For the fluid flow network shown in figure determine pressure at nodes in pipes. (10)



Q.6

- a) For the two bar truss shown in figure, determine the displacement at nodes. $E = 70\text{GPa}$ & $A = 200\text{ mm}^2$ (12)



- b) Explain significance of Jacobian matrix. Derive CST element. (8)