

S.E. (Electrical)

sem IV

choice based

Q.P.Code: 38366

10/12/18

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Duration: 3Hrs

Marks: 80

Note: (1) Question No:1 is compulsory

(2) Attempt any three question from the remaining questions.

Q1. Solve any four from the remaining question. (20)

- State and explain Biot-Savart law.
- Explain current density and continuity equation.
- Convert P ($10, \pi/6, \pi/3$) in cylindrical co-ordinates.
- Justify the statement "Divergence of a curl of a quantity is zero".
- Enlist five properties of electromagnetic wave.

Q2. (a) Evaluate both sides of divergence theorem for $D = x^2 a_x + y^2 a_y + z^2 a_z$ over the cube $0 < x, y, z < 1$. (10)

(b) Two uniform line charges of density 8.854 nC/m are located in a plane $z=0$ at $y = \pm 6 \text{ m}$. (10)

Find the E field at a point P (0, 0, 6).

Q3. (a) Derive Maxwell's equation in integral and point form for time varying field. (10)

(b) Derive the electric field intensity due to a infinite line charge. (10)

Q4. (a) Derive the Poisson's and Laplace equation. In Cartesian co-ordinates a potential is a function (10)

of x only. At $X = -20 \text{ cm}$, $V = 25 \text{ V}$ and $E = -1.5 \times 10^3 a_x \text{ V/m}$ throughout the region.

Find V at $X = 3 \text{ cm}$.

(b) A charge distribution in free space has $\rho_v = 2r \text{ nC/m}^3$ in spherical co-ordinates, for $0 < r < 10 \text{ m}$ (10)

and zero otherwise. Determine E at $r = 2 \text{ m}$ and $r = 12 \text{ m}$.

Q5. (a) Given that $H = H_m e^{j(\omega t + \beta z)} a_x \text{ (A/m)}$ in free space, Find E. (10)

(b) A dielectric free space interface has the equation $3X + 2Y + Z = 12 \text{ m}$. The origin side of the interface has $\epsilon_{r1} = 3$ and $E_1 = 2a_x + 5a_z \text{ (V/m)}$. Find E_2 (10)

Q6. (a) Transform given vector A in to cylindrical system $A = ya_x + xa_y + \frac{x^2}{\sqrt{x^2+y^2}} a_z$. (10)

(b) Starting from Maxwell equation obtain wave equation for the field E and H for free space. (10)
