

(3 hours)

Total Marks: 80



- N.B. 1. Question No. 1 is compulsory  
 2. Attempt any **three** out of remaining  
 3. Assume suitable data if **necessary** and justify the assumptions  
 4. Figures to the **right** indicate full marks
- Q1 A Evaluate DFT of  $x(n)=\cos(0.25\pi n)$ . 05  
 B Determine the energy and power of signal given by  $x(n) = (1/3)^n u(n)$ . 05  
 C Find the circular Convolution of the following causal signals 05  
 $x_1(n)= \{ 3, 2, 4, 1 \}$  and  $x_2(n)=\{ 2, 1, 3 \}$   
 D Define BIBO Stable system. 05
- Q2 A State the following DFT properties: 10  
 1.Lineariry  
 2.Periodicity  
 3.Scailing  
 4.Convolution  
 5.Time Reversal  
 B Consider the following analog signal 10  
 $x(t)=5 \cos 2\pi (1000 t) + 10 \cos 2\pi (5000t)$  to be sampled.  
 I) Evaluate the Nyquist rate for this signal.  
 II) If the signal is sampled at 4 kHz , will the signal be recovered from its samples?
- Q3 A For the causal LTI digital filter with impulse response given by 10  
 $h(n) = \delta(n) - 2\delta(n-1) + \delta(n-2) + 2\delta(n-3)$  sketch the magnitude response of the filter.  
 B Design radix 2FFT flow graph for  $x(n)=\{2, 1, 3, 1\}$  10
- Q4 A Check whether the system  $y[n] = x[n] + 2x[n-2]$  is: 10  
 i)Static or Dynamic  
 ii)Linear or Non-linear  
 iii)Causal or Non-Casual  
 iv) Shift variant or Shift Invariant  
 B Compute linear convolution of the causal sequences  $x[n]= \{3, 4, 2, 1, 2, 2, 1, 1\}$  10  
 and  $h[n]=\{1, -1\}$  using overlap add method.

[TURN OVER]

- Q5 A For  $x(n) = \{3, 2, 1, 6, 4, 5\}$ , plot the following Discrete Time signals: 10
- 1.)  $x(n+1)$       2.)  $x(-n)u(-n)$       3.)  $x(n-1)u(-n-1)$   
4.)  $x(n-1)u(n)$       5.)  $x(n-2)$
- B Perform Cross correlation of the causal sequences 10  
 $x(n) = \{3, 3, 1, 1\}$      $y(n) = \{1, 2, 1\}$
- Q6 A Write a detailed note on TMS 320 10
- B Explain the significance of Carl's Correlation Coefficient Algorithm in digital 10  
signal processing. Evaluate Carl's Coefficient for two causal sequences  
 $x[n] = \{1, 3, 4, 2\}$  and  $y[n] = \{1, 2, 2, 1\}$ .